# On Communication-Efficient Failure Detection in Omission Environments

R. Cortiñas I. Soraluze M. Larrea A. Lafuente

University of the Basque Country, San Sebastián, Spain

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#### Context of the research

- Failure models in fault-tolerant systems
- Failure detectors to solve Consensus
- Communication-efficient failure detectors
- From the Crash model to the Omission model
- Contribution
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  - The bidirectional link abstraction
  - Well-connected processes
  - Failure detector properties
  - Communication efficiency
- **4** The failure detector algorithm
  - Achieving communication efficiency
  - Implementing the FD algorithm

Failure models in fault-tolerant systems

## Failure models in fault-tolerant systems

- The Crash failure model
- The Crash-recovery failure model
- The Omission failure model
- The Byzantine failure model

Failure detectors to solve Consensus

## Failure detectors to solve Consensus

- The FLP impossibility result (Fisher-Lynch-Paterson, 1985)
  - Consensus cannot be solved in asynchronous systems if at least one process can crash
- The failure detector abstraction (Chandra-Toueg, 1996)
  - Encapsulating asynchrony to circumvent the FLP result
  - Partial synchrony (Dwork-Lynch-Stockmeyer, 1988)

Failure detectors to solve Consensus

## Failure detector classes

- A process can be correct or not correct
- For every process *p*, its failure detector provides a list of suspected processes
- A number of failure detector classes have been defined (Chandra-Toueg)
- We focus on the *Eventually Perfect* failure detector class:  $\Diamond \mathcal{P}$
- Properties of  $\Diamond \mathcal{P}$ 
  - Eventual Strong Completeness
  - Eventual Strong Accuracy

Failure detectors to solve Consensus

# Implementing failure detectors

- Processes monitor each other
- Every (correct) process build a list of suspected processes
- Monitoring mechanism:
  - Polling
  - Heartbeats
- Communication pattern:
  - All-to-all
  - One-to-one (e.g., arranging the processes in a ring)

Communication-efficient failure detectors

## Communication-efficient failure detectors

- Communication efficiency: at most n − 1 links used permanently (Aguilera et al, 2001)
- Communication-efficient FDs:
  - Larrea et al: DISC 2005, JS 2008, JCSD 2006
- Communication-optimal FDs:
  - Using sporadic reliable broadcast (Larrea el al: DISC 2006, JCSD 2007)
  - Using sporadic one-to-*m* (*m* << *n*) communication (Lafuente et al: PODC 2008, JCSD 2008)

From the Crash model to the Omission model

# The General Omission failure model

- Processes can fail by
  - Crashing
  - Omit to send messages
  - Omit to receive messages
- In the General Omission model processes suffer
  - Only send omissions, only receive omissions, or both
  - Permanent omissions or transient omissions
  - Non-selective omissions or selective omissions

From the Crash model to the Omission model

## Questions to be answered

- Which omissions can/cannot be detected in the General Omission model?
- How can a failure detector class be defined in the General Omission model?
- Can a communication-efficient failure detector be implemented in the General Omission model?
- How can communication efficiency be defined in the General Omission model?

Contribution



- Definition of an eventually perfect failure detector class for the General Omission model
- A communication-efficient implementation of the failure detector

# The limits of detectability in the General Omission model

#### Problem

p sends a message to q, but q does not receive it

- a send omission of p or a receive omission of q?
- A naive solution: consider both *p* and *q* as not correct
- Instead, we focus on well-connected / not well-connected processes

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# System Model

- Failure model: General Omission
- Majority of correct processes
- Timing assumptions: Partially synchronous
- Reliable links
- Bidirectional communication: the *b-link* abstraction

The bidirectional link abstraction

# The *b*-link abstraction

- $b\text{-link}_{p,q} \equiv b\text{-link}_{q,p}$  represents the state of the bidirectional communication between processes p and q
  - *b-link*<sub>p,q</sub> = *Active*: *p* and *q* are exchanging messages periodically (in both directions)
  - *b-link*<sub>*p,q*</sub> = *Blocked*: *p* and *q* do not exchange messages periodically (in both directions)
  - *b-link*<sub>p,q</sub> = *Paused*: *p* and *q* do not exchange messages periodically (in both directions)
- Note that *Paused* and *Blocked b-link*s exhibit the same behavior (we say that the *b-link* is *not Active*)
- Paused and Blocked b-links differ in how they are reached

Outline Context of the research The limits of detectability System Model The failure detector algorithm Discussion

The bidirectional link abstraction



Figure: State diagram of a *b-link*.

Well-connected processes

### Well-connected processes

- Consider a graph of process and Active b-links G = (V, E)
- Due to crashes and omissions, G can be a disconnected graph with several connected components  $S \subseteq G$
- Eventually and permanently, there will be in G a connected component S such that  $|V(S)| \ge \lceil \frac{(n+1)}{2} \rceil$
- Every process  $p \in V(S)$  is well-connected

Well-connected processes



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#### Well-connected processes



Failure detector properties

## Failure detector properties

- Strong Completeness: eventually every *not well-connected* process will be permanently considered as *not well-connected* by every *well-connected* process
- Eventual Strong Accuracy: eventually every *well-connected* process will be permanently considered as *well-connected* by every *well-connected* process

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**Communication efficiency** 

# Communication efficiency

- An algorithm is *communication-efficient* in the General Omission model if it uses at most n-1 bidirectional links to send messages forever
- Note that in a connected graph with m nodes, exactly m-1 edges are needed
- In G there will be less than n-1 edges

#### Hint

• Calculate a *spanning tree* for every connected component

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Achieving communication efficiency

## Achieving communication efficiency

- Every process p computes a spanning tree T for the connected component S ⊆ G it belongs to
- Using a deterministic implementation of a breadth-first search (BFS) algorithm
- If a  $b-link_{p,q}$  is in S but not in T, then  $b-link_{p,q}$  is set to Paused

Implementing the FD algorithm

# Implementing the FD algorithm

- Every process *p* sends periodic heartbeat messeges *m* to the other processes
  - m includes the current connectivity information as viewed by p
- Upon the reception (or time-out) of a message *m* from *q*, a process *p*:
  - manages the state transition of  $b-link_{p,q}$ , if any
    - $Blocked \rightarrow Active$  (or  $Active \rightarrow Blocked$ )
  - updates its connectivity information
  - recalculates the spanning tree for its connected component
  - updates the list of connected processes
  - manage the state transitions for its connected component
    - $\bullet \ \textit{Active} \rightarrow \textit{Paused} \text{ or } \textit{Paused} \rightarrow \textit{Active}$
- Eventually there will be a permanent connected set including a majority of *well-connected* processes

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- In a previous FD algorithm for the General Omission model, we used all-to-all communication (Cortiñas et al, 2007)
- Now we have a communication-efficient algorithm with at most n-1 bidirectional links carrying messages forever
- What do we pay for that?
- Chandra-Toueg consensus algorithm is more dificult to adapt
  - Consensus messages are forwarded using the spanning tree
  - Connectivity should not change during a consensus round in order to avoid blocking

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